

Introduction to Octave (Part I)

IT WS I - Lecture 14

Saurabh Barjatiya

International Institute Of Information Technology, Hyderabad

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Introduction to octave

- Octave can be used to solve mathematical problems.
- Octave syntax is very similar to syntax of matlab so that matlab users / programs can be migrated to octave without much difficulty.
- Octave is free and open-source
- Octave can be used to solve linear equations. It supports operations over matrices and complex numbers.
- Octave can also be used for drawing plots
- Advanced sound / image processing is often done using octave due to its extensive mathematical capabilities
- Octave is proper language with loops, variables, conditional statements, etc.



Matrices - 1

To create/declare a matrix in octave, we have to use '['', ''', ',' and ';' operators.

Creating matrix - 1

```
> x = [1,2;3,4]
x =
     1     2
     3     4
```



Matrices - 2

The column elements can also be separated by space instead of comman

Creating matrix - 2

```
> x = [1 2;3 4]
```

```
x =
```

```
1 2
```

```
3 4
```

But this is very bad practice. It is recommended to always separate column values by ',' to avoid any confusion.



Matrices - 3

To access some element of matrix we can use '(' and ') operators

Accessing element of matrix - 1

```
> x = [1 2;3 4];
```

```
> x(1,1)
```

```
ans = 1
```

```
> x(2,2)
```

```
ans = 4
```

```
> x(1,2)
```

```
ans = 2
```



Matrices - 4

We can access more than one element of matrix at same time

Accessing elements of matrix - 2

```
> x = [1 2;3 4];
```

```
> x(1,[1,2])
```

```
ans =
```

```
1 2
```

```
> x([1,2],[1,2])
```

```
ans =
```

```
1 2
```

```
3 4
```



Matrices - 5

Few important points:

- Octave variable names cannot start with number and are case-sensitive.
- If you end a line with ';' it means you do not want to print the final value. If any expression is not terminated with semi-colon then its value is printed.
- We do not explicitly define type of variable in octave. Variables type depends upon value stored in the object. Same variable may belong to different types based on values stored in it.
- Dimensions are specified in row by column syntax.



Range notation - 1

Octave supports range notation for specifying linear sequences of numbers

Syntax of range notation

```
<start>: [<increment>:] <end>
```

Here, increment is optional. If we do not specify increment it is taken to be '1'.



Range notation - 2

Example of range notation

```
> 1:2:7
```

```
ans =
```

```
1 3 5 7
```

```
> 1:7
```

```
ans =
```

```
1 2 3 4 5 6 7
```



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Basic operations on matrices - 1

Matrices of equal dimensions can be added using '+' operator

Adding matrices

```
> x=[1,2;3,4];
```

```
> y=[4,3;2,1];
```

```
> x+y
```

```
ans =
```

```
5 5
```

```
5 5
```



Basic operations on matrices - 2

Matrices of equal dimensions can be subtracted from each other

Subtracting matrices

```
> x=[1,2;3,4];
```

```
> y=[4,3;2,1];
```

```
> x-y
```

```
ans =
```

```
  -3  -1
```

```
   1   3
```



Basic operations on matrices - 3

Matrices can be multiplied when number of columns of first matrix is same as number of rows of second matrix

Matrix multiplication

```
> x=[1,2];
```

```
> y=[3;4];
```

```
> x*y
```

```
ans = 11
```



Basic operations on matrices - 4

Matrix division

Matrix division

```
> x=[1,2;3,4];  
> y=[4,3;2,1];  
> x/y  
ans =  
    1.5000   -2.5000  
    2.5000   -3.5000
```



Basic operations on matrices - 5

Scalar addition

Scalar addition

```
> x=[1,2;3,4];
```

```
> x .+ 4
```

```
ans =
```

```
5    6
```

```
7    8
```



Basic operations on matrices - 6

Scalar subtraction

Scalar subtraction

```
> x=[1,2;3,4];
```

```
> x .- 4
```

```
ans =
```

```
  -3  -2
```

```
  -1   0
```



Basic operations on matrices - 7

Scalar multiplication

Scalar multiplication

```
> x=[1,2;3,4];
```

```
> x .* 4
```

```
ans =
```

```
4      8
```

```
12     16
```



Basic operations on matrices - 8

Scalar division

Scalar division

```
> x=[1,2;3,4];  
> x ./ 4  
ans =  
    0.25000    0.50000  
    0.75000    1.00000
```



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Creating strings

Row of characters in matrix is treated as string. Or string is stored as 1 dimensional matrix of characters.

Declaring strings

```
> x="abc"  
x = abc  
> y=['a','b','c']  
y = abc  
> strcmp(x,y)  
ans = 1
```



ASCII values

- Characters in strings are stored as numbers inside computer memory.
- Before storing characters get converted to appropriate ASCII decimal value
- Before displaying the decimal value is converted to corresponding character
- ASCII value of char '0' is 48
- ASCII value of char 'a' is 97
- ASCII value of char 'A' is 65



Basic operations on strings - 1

Extracting portions of string

```
> x="abcdefgh";  
> x(3)  
ans = c  
> x([1,5,6])  
ans = aef  
> x([1:2:7])  
ans = aceg
```



Basic operations on strings - 2

Changing portions of strings

```
> x="abcdefgh";  
> x(3)='z'  
x = abzdefgh  
> x([5:6])='pq'  
x = abzdpqgh
```



Basic operations on strings - 3

Adding numeric values to strings

```
> x="abcdefgh";  
> x+1  
ans =  
    98    99   100   101   102   103   104   105  
> char(x+1)  
ans = bcdefghi  
> uint8(x)  
ans =  
    97    98    99   100   101   102   103   104
```

