## Contents

- 1 Octave operators
- 1.1 Arithmetic Operators
- 1.2 Comparison Operators
- 1.3 Boolean operators
$\diamond$ 1.3.1
Normal
boolean
operators
$\diamond$ 1.3.2 Short
circuit
boolean
operators
- 1.4 Assignment operators
- 1.5 Increment operators
- 2 Operator Precedence


## Octave operators

## Arithmetic Operators

| + | Addition('+') operator can be used to add to numbers or matrices. |
| :--- | :--- |


| - | Subtraction('-') operator can be used to subtract one value / matrix from another value / matrix..$~$ |
| :--- | :--- |


| $*$ | Multiplication('*') operator can be used to multiply two numbers or matrices. For matrix <br> multiplication the number of columns in first matrix should be equal to number of rows in second <br> matrix else you would get error like -- 'error: operator *: nonconformant arguments (op1 is $2 \times 4$, <br> op2 is $2 \times 4)^{\prime}$ |
| :--- | :--- | :--- |


| $x / y$ | Right division. Conceptually same as (inverse $\left.\left(y^{\prime}\right) * x^{\prime}\right)$ ' But it is calculated without finding inverse <br> of $y^{\prime}$. |
| :--- | :--- | :--- |


| xly | Left division. This is conceptually equivalent to the expression inverse $(\mathrm{x}) * \mathrm{y}$ |
| :--- | :--- |
| + | Element wise addition |
| .+ |  |


|  |  |
| :--- | :--- |
| - | Element wise subtraction |
| - |  |



Element wise multiplication


Element by element right divison

| .1 | Element by element left division. Each element of y is divided by each corresponding element of x . |
| :--- | :--- |



| $\mathrm{x} . \wedge \mathrm{y}$ <br> $\mathrm{x} .{ }^{* *} \mathrm{y}$ Element by element power operator. |  |
| :--- | :--- |


| x.' | Transpose |
| :--- | :--- |

$x^{\prime}$ Complex conjugate of transpose. This operator is equivalent to the expression conj (x.')

## Comparison Operators

| $\mathrm{x}<\mathrm{y}$ | True if x is less than y |
| :--- | :--- |


| $\mathrm{x}<=\mathrm{y}$ | True if x is less than equal to y. |
| :--- | :--- |


| $\mathrm{x}==\mathrm{y}$ | True if x is equal to y |
| :--- | :--- |


| $x>=y$ | True if $x$ is greate than or equal to $y$ |
| :--- | :--- |
| $x>y$ | True if $x$ is greater than $y$. |


| $\mathrm{x}!=\mathrm{y}$ <br> $\mathrm{x} \sim \mathrm{y}$ <br> $\mathrm{x}<>\mathrm{y}$ | True if x is not equal to y. |
| :--- | :--- |

## Boolean operators

## Normal boolean operators

| a\&b | True if both `a' and `b' are true |
| :---: | :---: |
| alb | True if either of ' $\mathrm{a}^{\prime}$ or ' $\mathrm{b}^{\prime}$ is true |
| ! $\sim$ $\sim$ | True if a is false |

## Short circuit boolean operators

```
a&&b
```

True if both a and b are true. Does not evaluates b if a is false.

```
a |l b
```

True if either of a or b is true. Does not evaluates b if a is true.

## Assignment operators

$=$ Normal assignment operators

| $+=$ | Shorthand addition and assignment operator |
| :--- | :--- |


| $-=$ | Shorthand subtraction and assignment operator |
| :--- | :--- |
| $*=$ | Shorthand multiplication and assignment operator |
| $/=$ | Shorthand division and assignment operator |

Few important points regarding assignment operators:

- Assignment of a scalar to an indexed matrix sets all of the elements that are referenced by the indices to the scalar value. For example, if a is a matrix with at least two columns, then
$\mathrm{a}(:, 2)=5$
sets all the elements in the second column of a to 5 .
- Assigning an empty matrix `[]' works in most cases to allow you to delete rows or columns of matrices and vectors. For example

A $(3,:)=[]$
deletes the third row of A

- An assignment is an expression, so it has a value. Thus, $\mathrm{z}=1$ as an expression has the value 1 . One consequence of this is that you can write multiple assignments together:
$x=y=z=0$
stores the value 0 in all three variables.
- In expressions like this, the number of values in each part of the expression need not match. For example, the expression
$[\mathrm{a}, \mathrm{b}]=[\mathrm{u}, \mathrm{s}, \mathrm{v}]=\operatorname{svd}(\mathrm{a})$
is equivalent to
$[\mathrm{u}, \mathrm{s}, \mathrm{v}]=\operatorname{svd}(\mathrm{a})$
$\mathrm{a}=\mathrm{u}$
$\mathrm{b}=\mathrm{s}$
The number of values on the left side of the expression can, however, not exceed the number of values on the right side.


## Increment operators

$$
\begin{array}{l||l}
\text { This expression increments the variable } x \text {. The value of the expression is the new value of } x \text {. It is } \\
\text { equivalent to the expression } x=x+1
\end{array}
$$

--x

This expression decrements the variable x . The value of the expression is the new value of x . It is equivalent to the expression $\mathrm{x}=\mathrm{x}-1$.

| $x++$ | This expression causes the variable $x$ to be incremented. The value of the expression is the old value <br> of $x$. |
| :--- | :--- | of $x$.

x--
This expression causes the variable x to be decremented. The value of the expression is the old value of $x$.

## Operator Precedence

Here is a table of the operators in Octave, in order of increasing precedence.

```
statement separators
    ;'', `,'.
assignment
    `=', `+=', `-=', `*=',`/='. This operator groups right to left.
logical "or" and "and"
    `||', `&&'.
element-wise "or" and "and"
```


## Octave_operators

```
    |', `&'.
relational
`<', `<=', `==', `>=', `>', `!=', `~=', `<>'.
colon
add, subtract
    +', `-'.
multiply, divide
    *', `/', `', `.\', `*', `./'.
transpose
    `'', `.''
unary plus, minus, increment, decrement, and ``not''
    +', `-', `++', `--', `!', `~'.
exponentiation
    `^', `**', `.^', `.**'.
```

